



M Ű E G Y E T E M 1 7 8 2

Study of a cobalt nanocontact

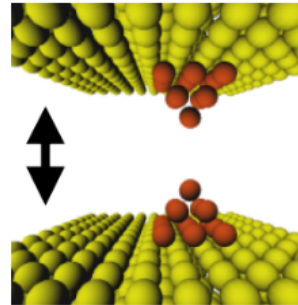
**László Balogh, Krisztián Palotás, Bence Lazarovits,
László Udvardi, László Szunyogh**

Budapest, November 11–12, 2010.

Review: last slide from Uppsala

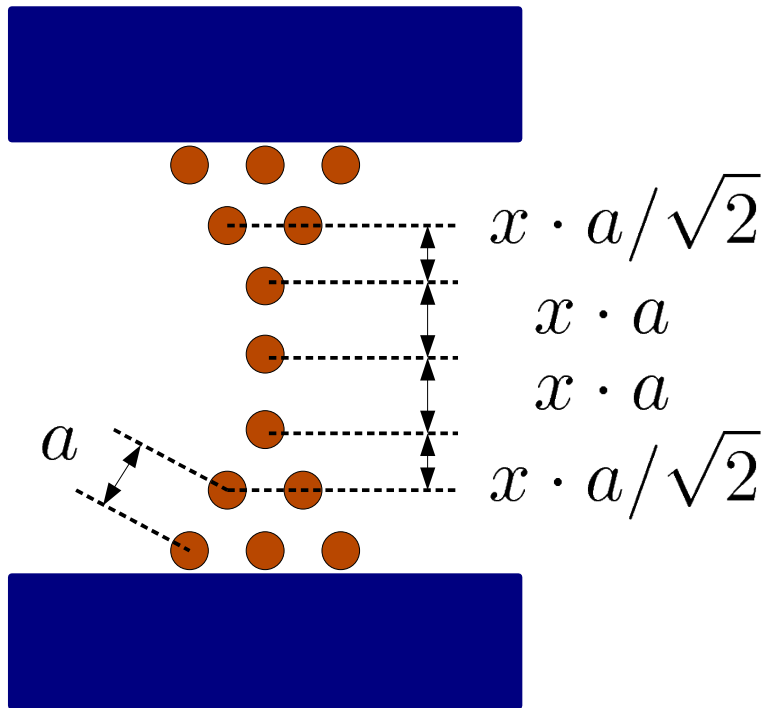
- Future plans

- STM structure ground state: simulated annealing

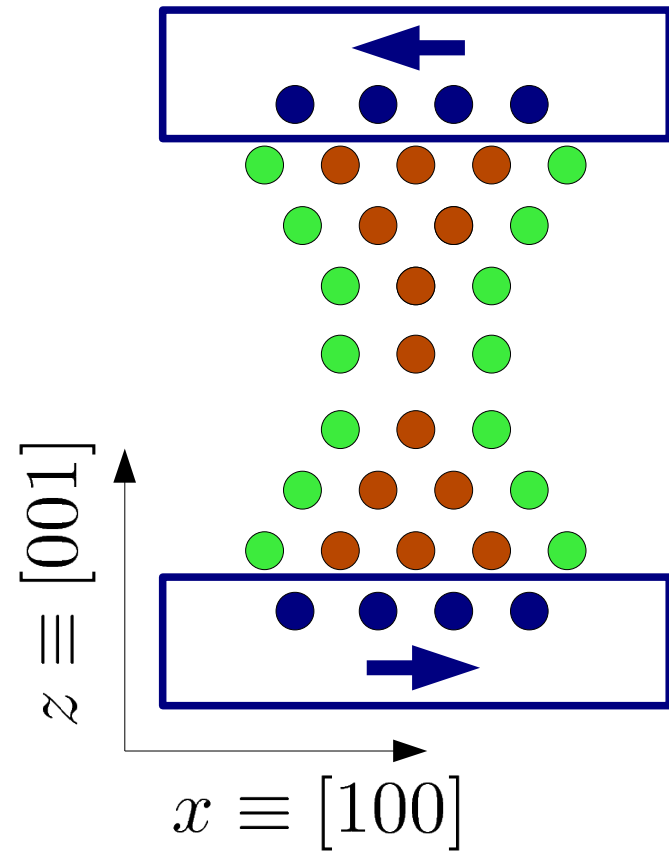


Physical system:

Co[001] + 3 x 3 + 2 x 2 + 1 + 1 + 1 + 2 x 2 + 3 x 3 + Co[001]



$$x \in \{0.85, \dots, 1.15\}$$



Questions

- What is the (magnetic) ground state?
 - Bloch \leftrightarrow Néel wall
 - versus x
- What spin model describes the system?
 - Isotropic Heisenberg
 - *Ab initio* energy function
 - Anisotropy

Methods

Screened Korringa–Kohn–Rostoker /
embedded cluster method ¹

Infinitesimal rotations method: ²

▶ parameters of isotropic Heisenberg model

Monte Carlo: simulated annealing /
Metropolis algorithm

▶ \approx ground state

Minimization of the band energy by Newton–
Raphson method

- frozen potential approximation

▶ ground state

▶ local quantities

Self-consistent energy calculation ¹

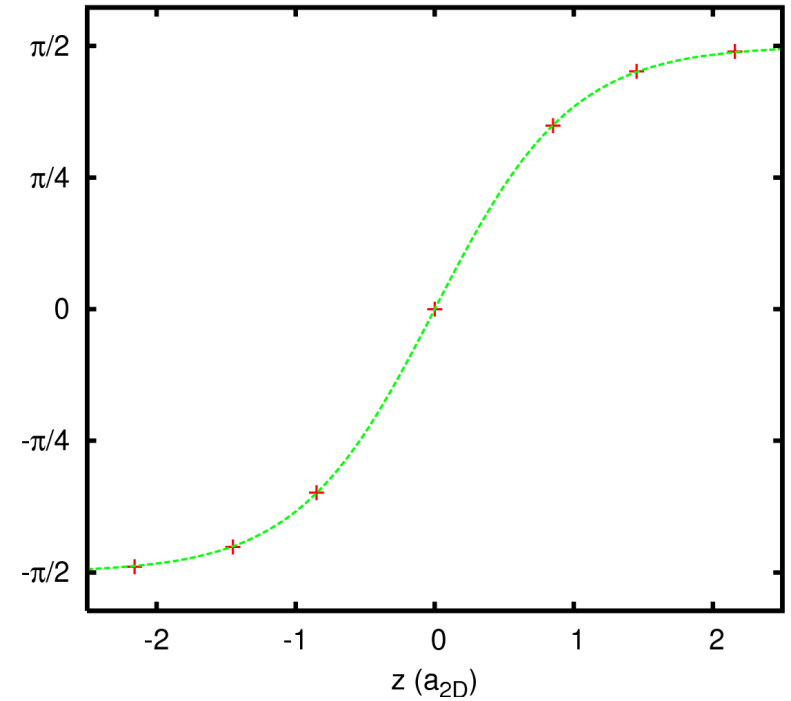
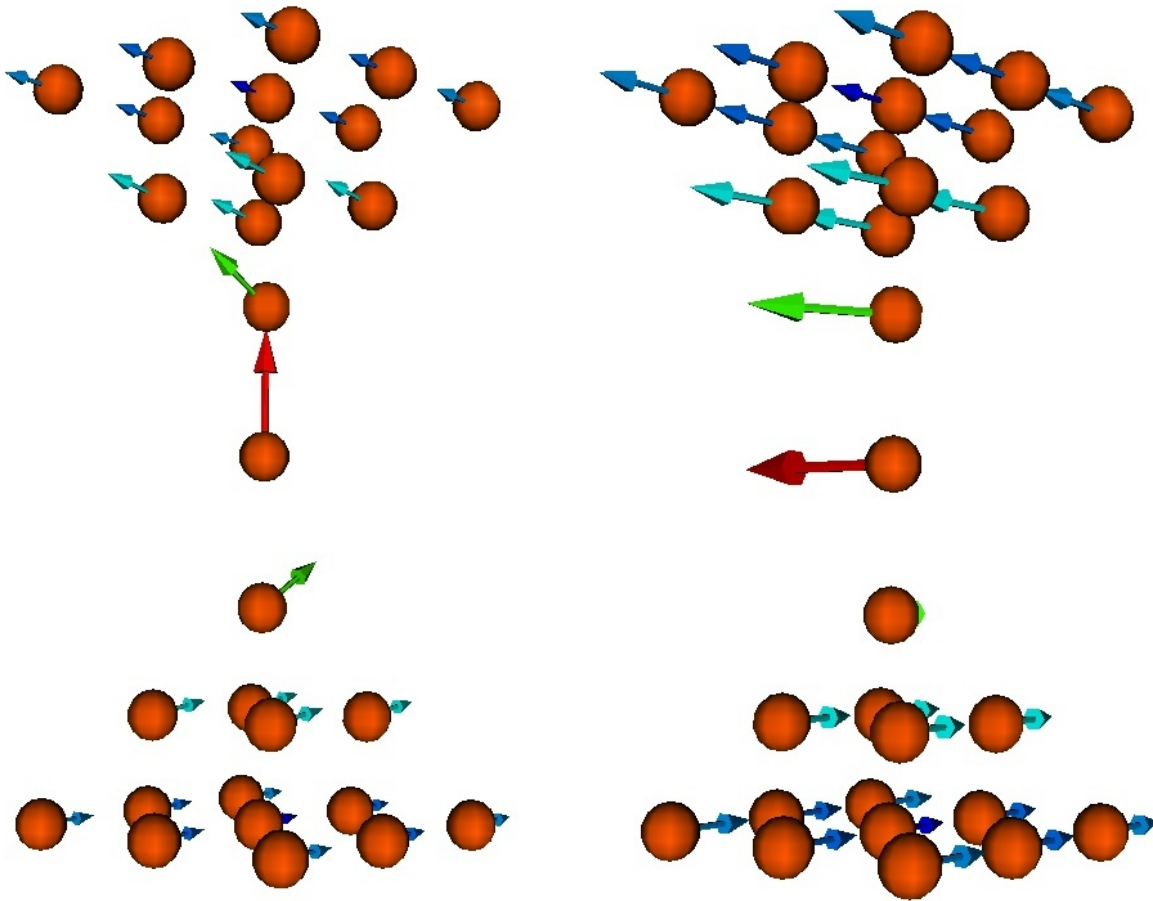
▶ GS energy, local quantities

¹ B. Lazarovits, *et al.*
PRB **65**, 104441 (2002)

² A.I. Liechtenstein *et al.*
JMMM **67**, 65 (1987)

² L. Udvardi *et al.*
PRB **68**, 104436 (2003)

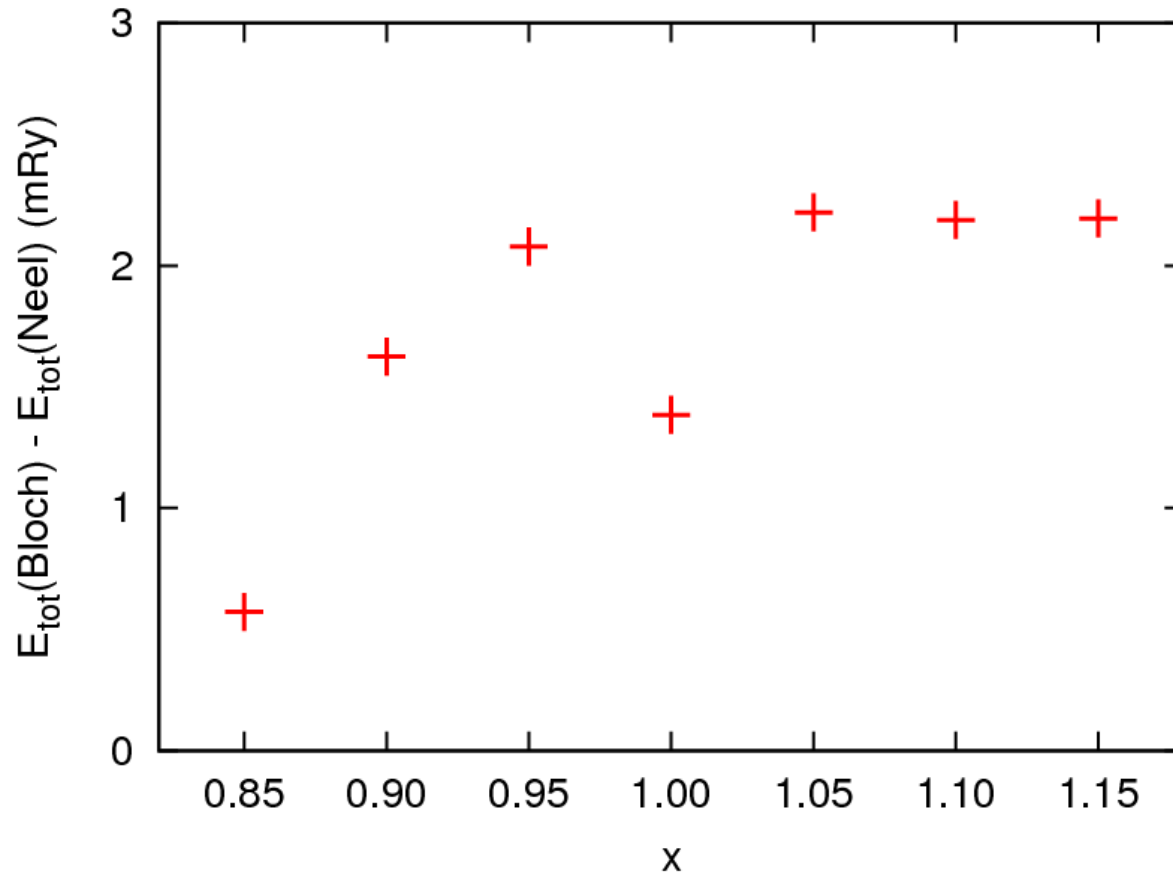
Domain wall: Néel- or Bloch



$$\varphi(z) = \frac{\pi}{2} \text{th} \left(\frac{z}{z_0} \right)$$

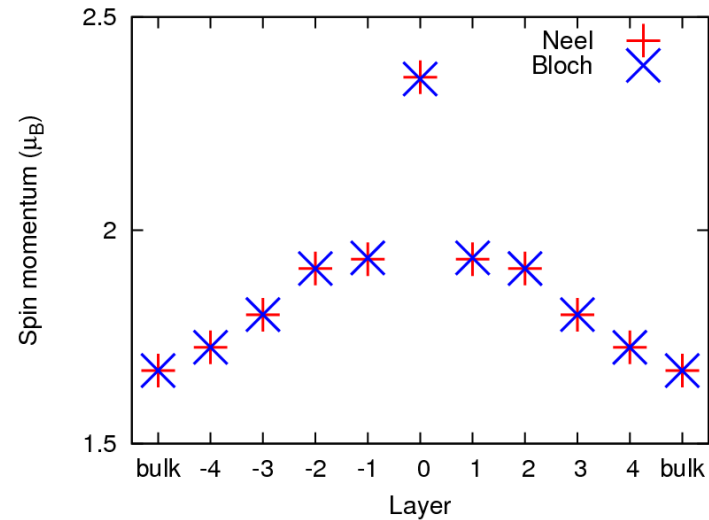
Self-consistent energies

$$E_{\text{tot}}(\text{Bloch}) - E_{\text{tot}}(\text{Néel}) > 0$$

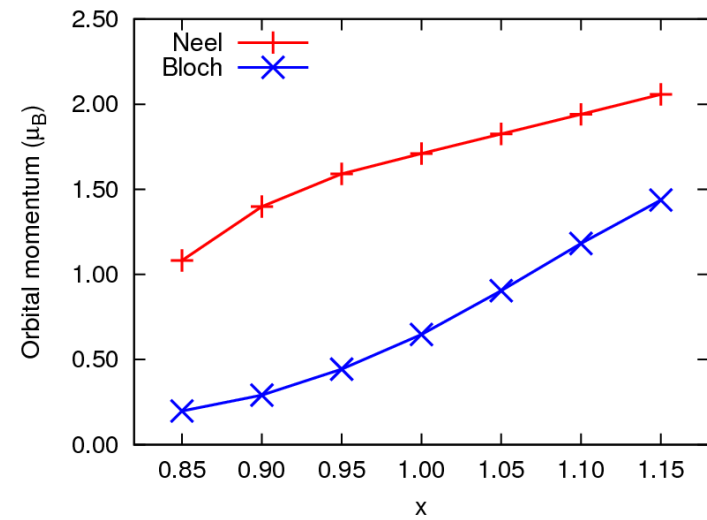
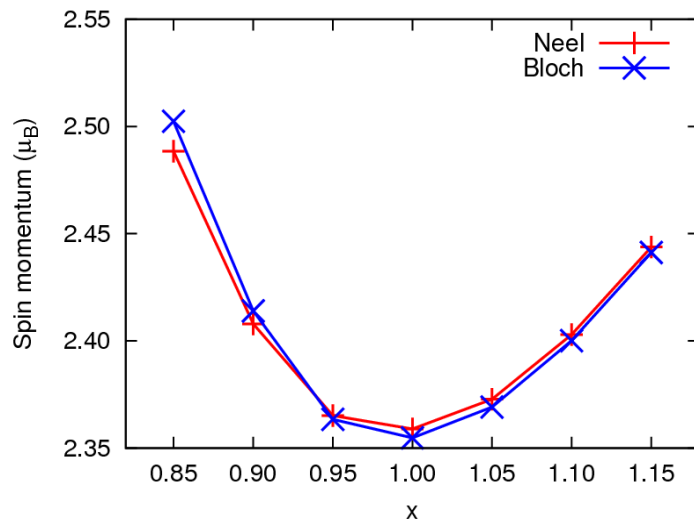


Local quantities

- Spin momentum vs. layer ($x = 1.00$)

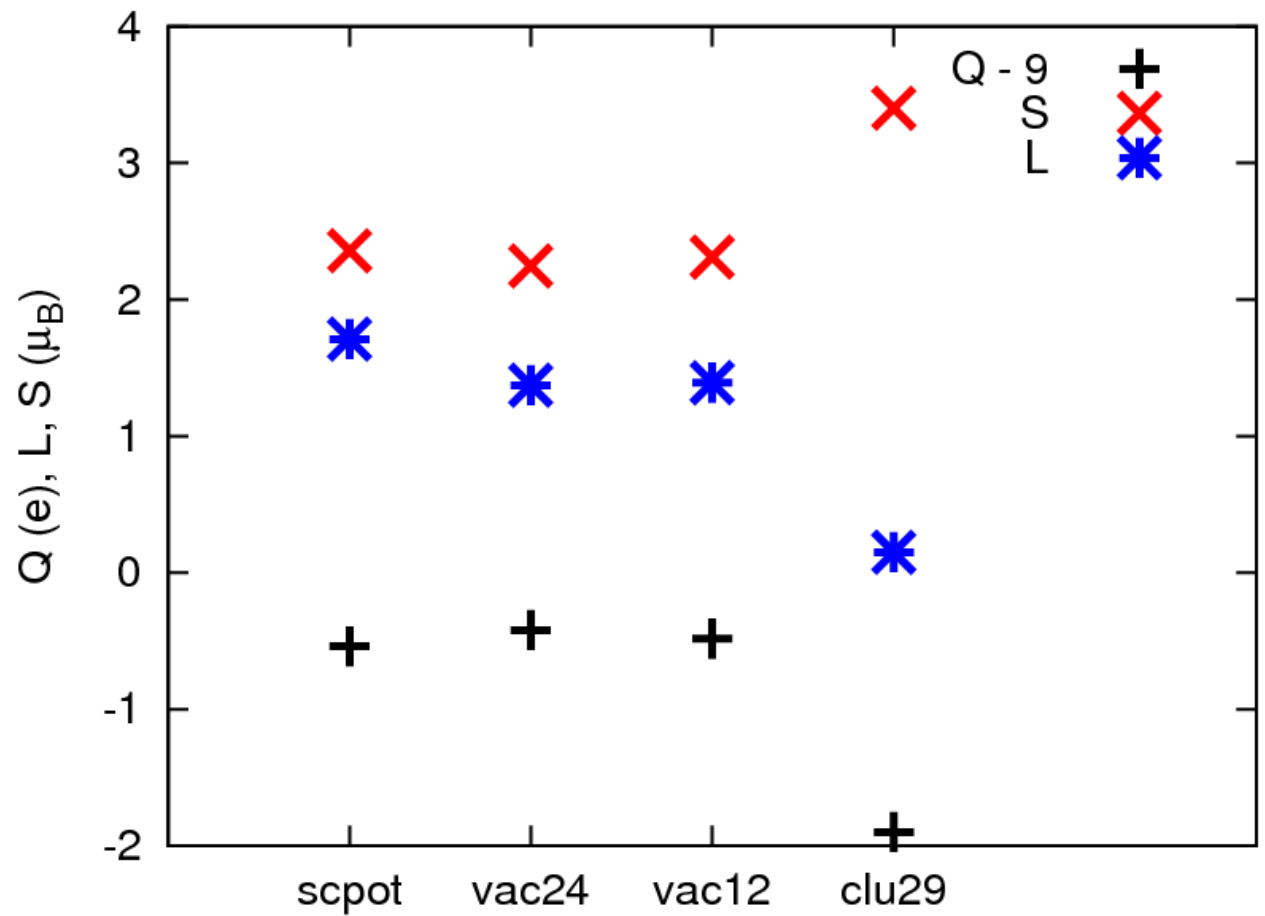
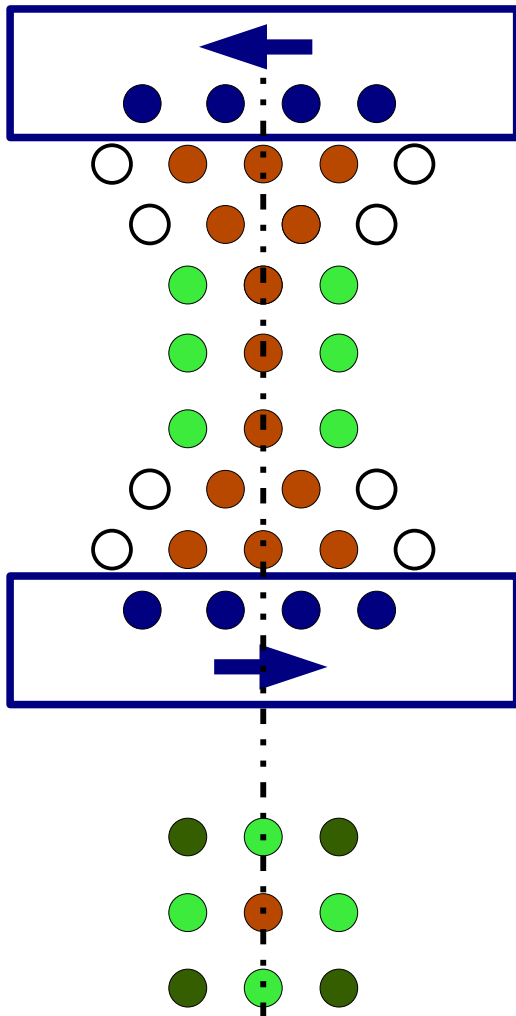


- Spin-, orbital momentum vs. x (central atom)

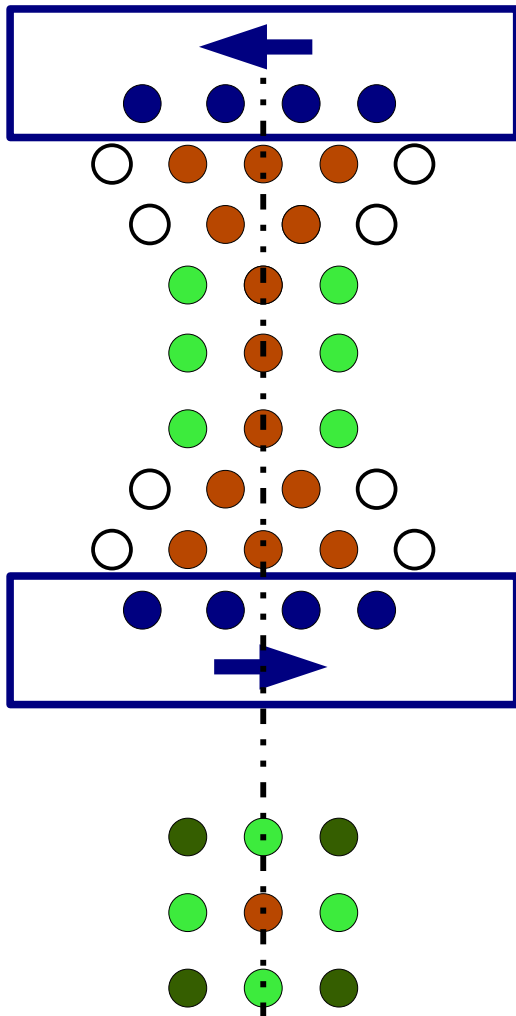


Effect of the vacuum “envelop”

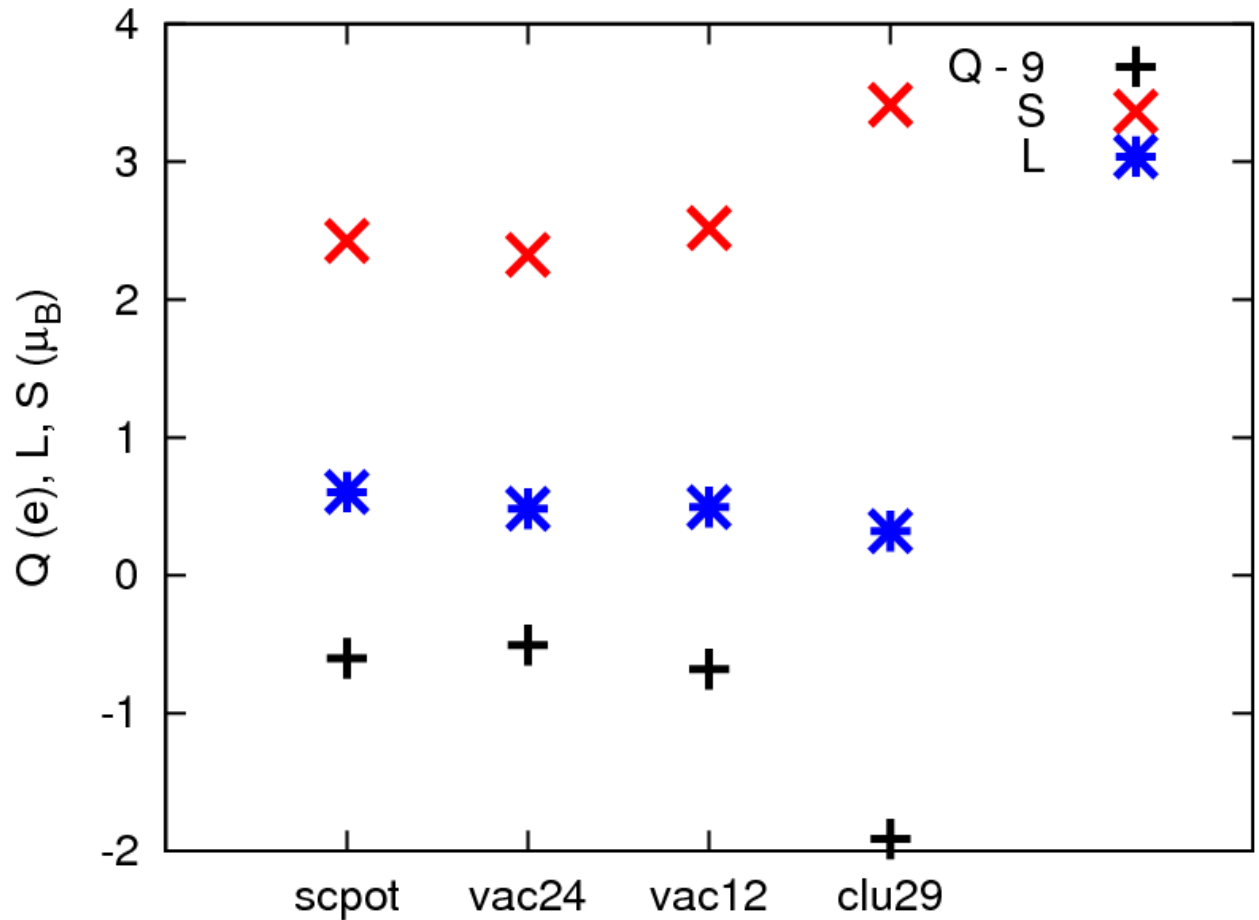
Néel-wall; $x = 1.00$; central atom



Effect of the vacuum “envelop”

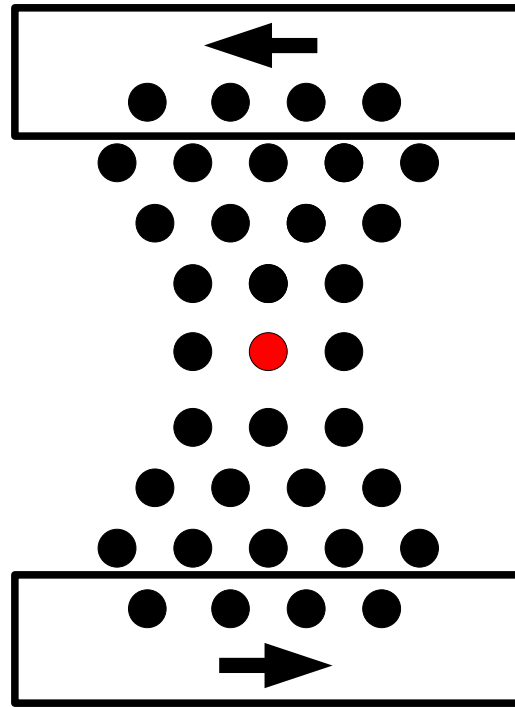


Bloch-wall; $x = 1.00$; central atom



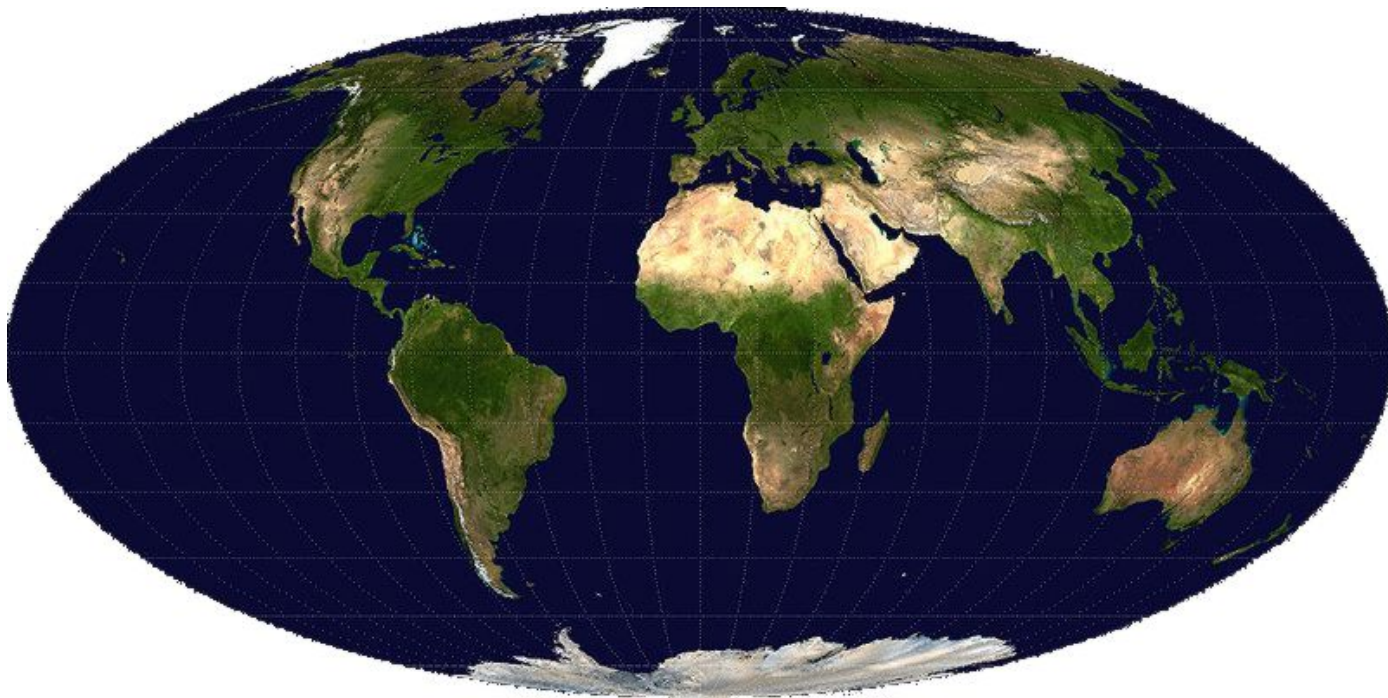
Model of the energy function

$$E_{\text{band}}(\underbrace{\dots}_{\text{fixed}}, \vartheta, \varphi, \underbrace{\dots}_{\text{fixed}}) = \sum_{l=0}^{\infty} \sum_{m=-l}^l E_{lm} Y_{lm}(\vartheta, \varphi)$$

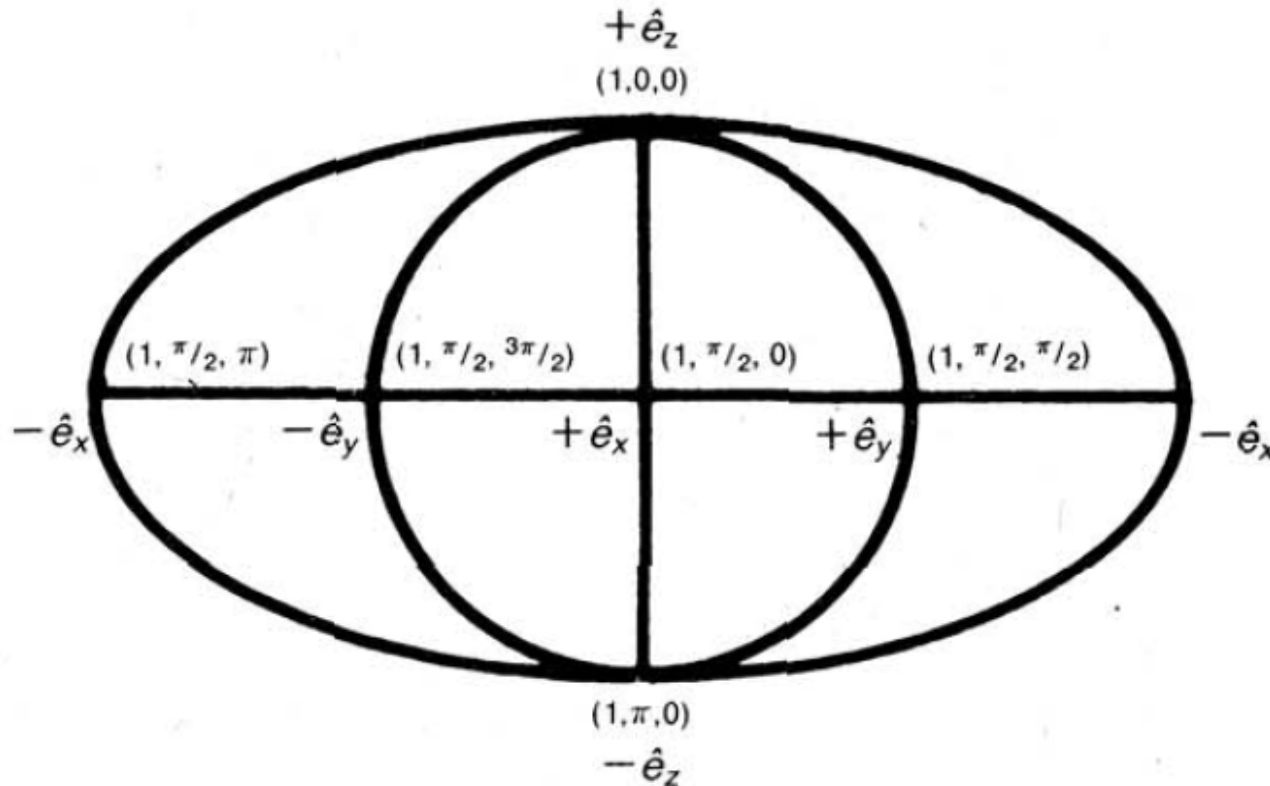


Mollweide-projection

How to plot an $E(\vartheta, \varphi)$ function?



Mollweide-projection



$$x = 2\sqrt{2} \frac{\varphi}{\pi} \cos(\xi)$$

$$y = \sqrt{2} \sin(\xi)$$

$$2\xi + \sin(2\xi) = \pi \cos(\vartheta)$$

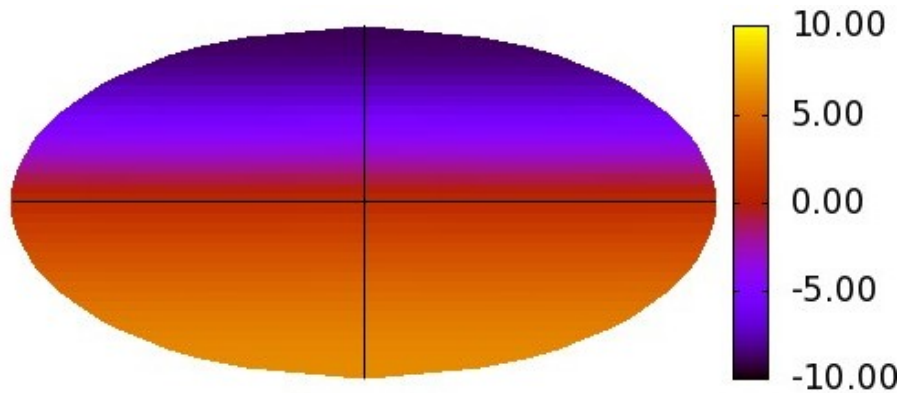
Figure 1. Mollweide's elliptical projection of the unit sphere based on the normal right-handed Cartesian coordinate system viewed towards the coordinate origin from along the $+x$ axis.

C. M. Quinn *et al.*, J. Chem. Edu., **61**, 569, (1984)

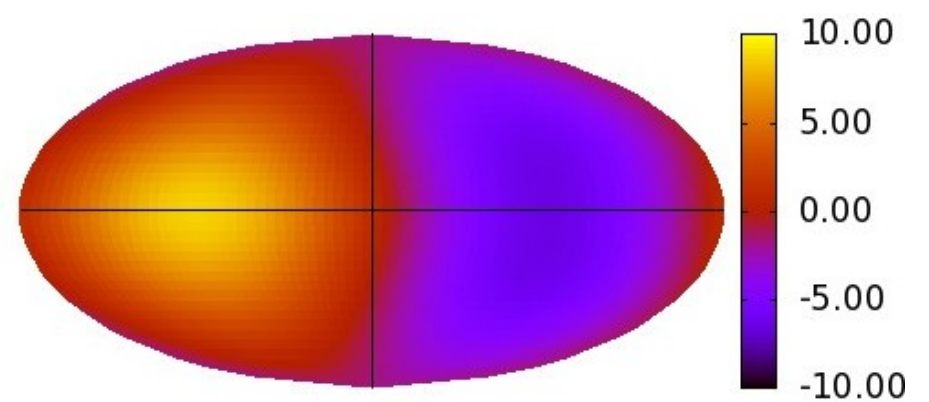
http://en.wikipedia.org/wiki/Mollweide_projection

Energy function (mRyd)

Néel ($x = 1.00$)



Bloch ($x = 1.00$)

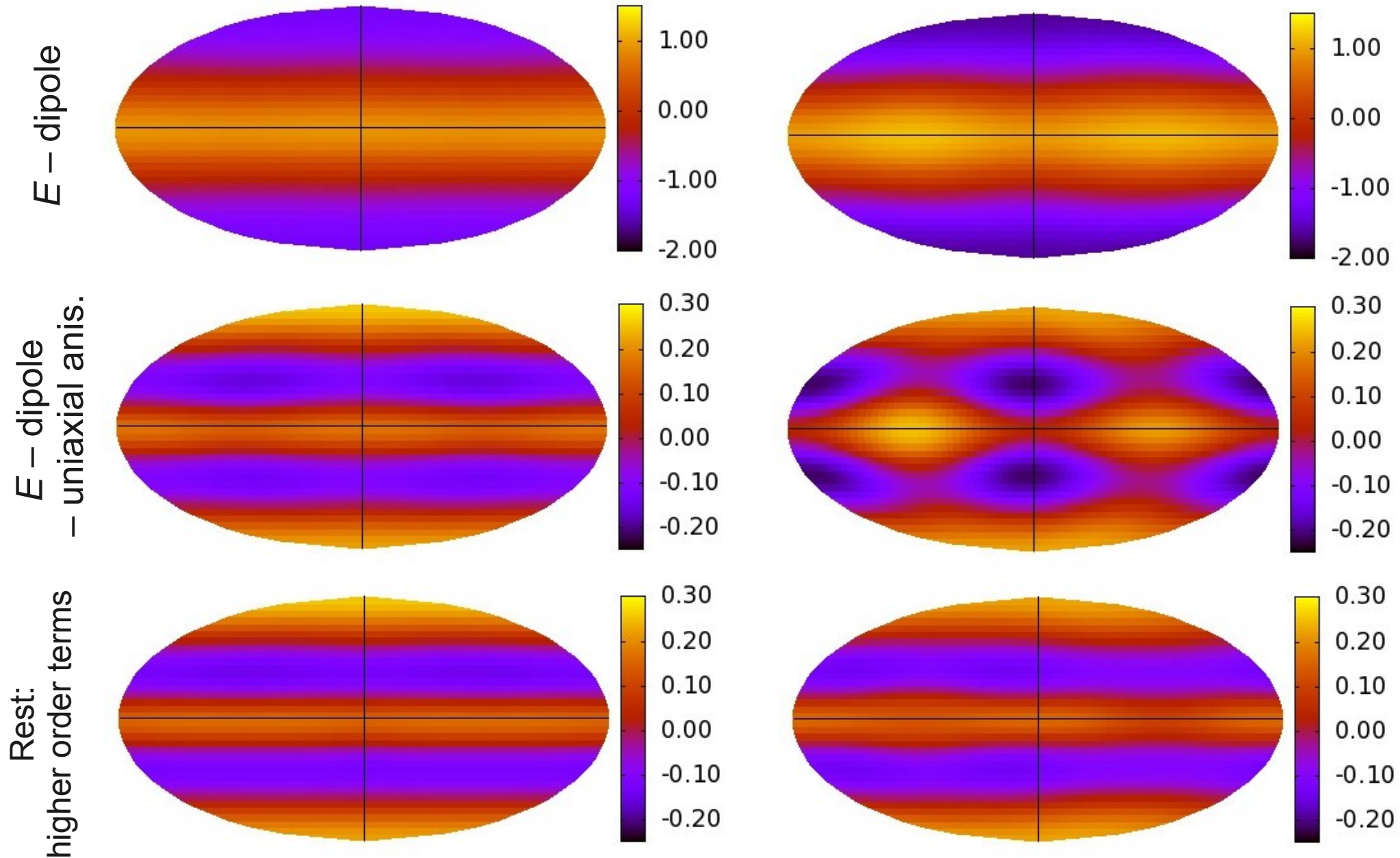


(1 mRyd = 13.6 meV)

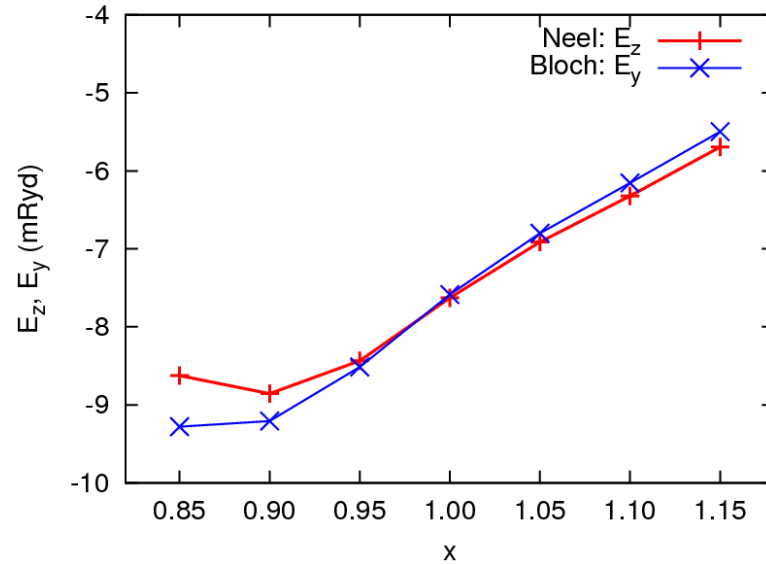
Components of the energy function

Néel ($x = 1.00$)

Bloch ($x = 1.00$)

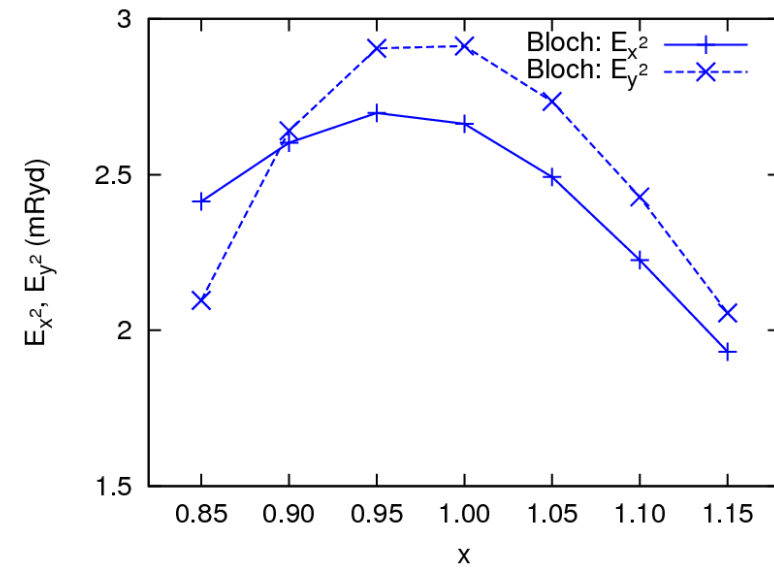
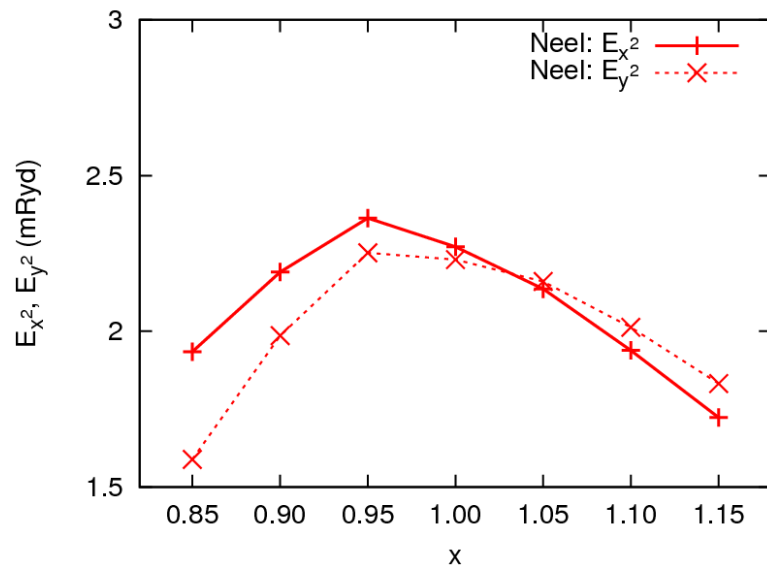


Anisotropy vs. deformation



Néel

Bloch



Summary

Screened Korringa–Kohn–Rostoker /
embedded cluster method

Infinitesimal rotations method:

- ▶ parameters of isotropic Heisenberg model

Monte Carlo: simulated annealing /
Metropolis algorithm

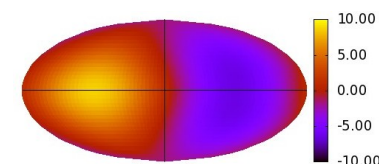
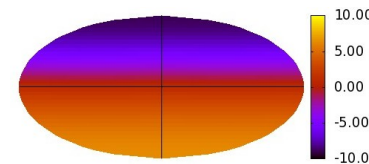
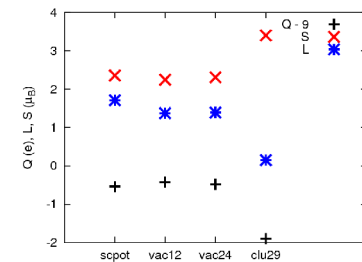
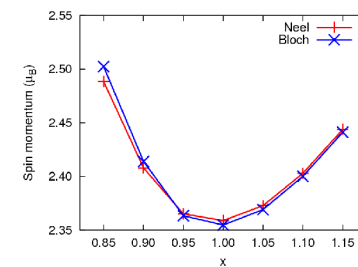
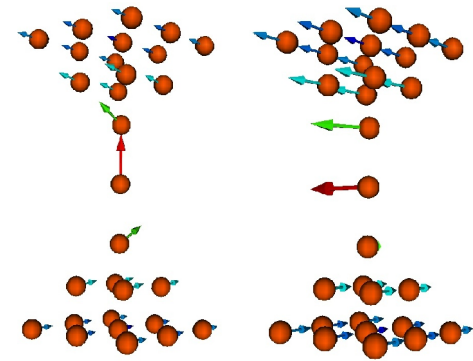
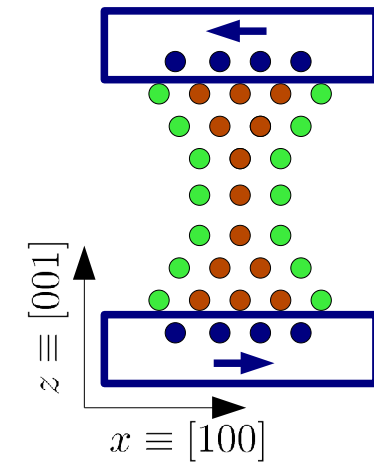
- ▶ \approx ground state

Minimization of the band energy by Newton–
Raphson method

- frozen potential approximation
- ▶ ground state
- ▶ local quantities

Self-consistent energy calculation

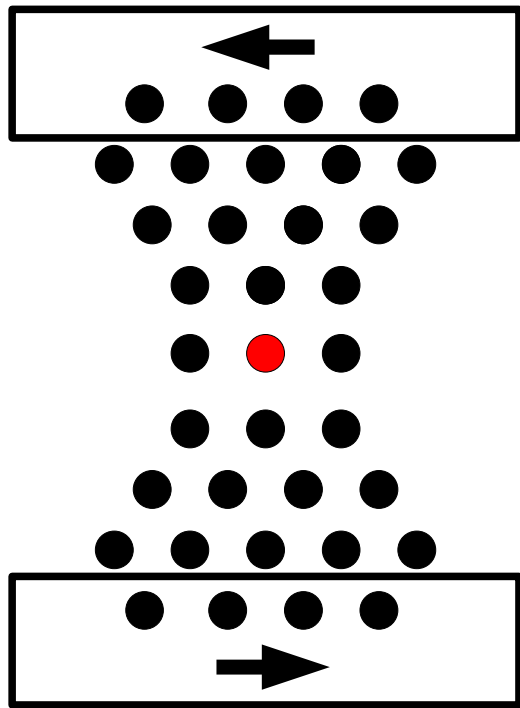
- ▶ GS energy, local quantities



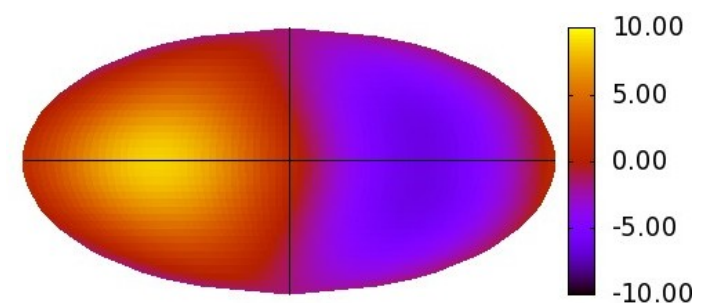
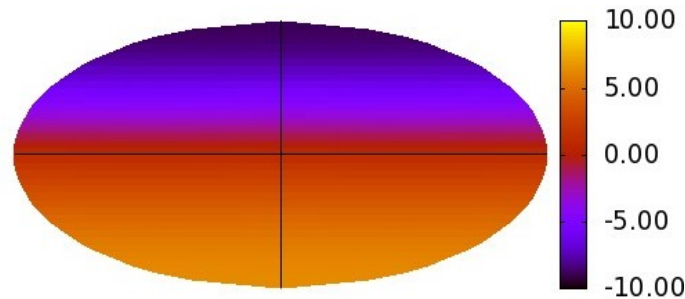
Thank you for your attention

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Bonus slide: quantize the spin model



$$E_{\text{band}}(\underbrace{\dots}_{\text{fixed}}, \vartheta, \varphi, \underbrace{\dots}_{\text{fixed}}) = \sum_{l=0}^{\infty} \sum_{m=-l}^l E_{lm} Y_{lm}(\vartheta, \varphi)$$



$$\mathcal{H} = \alpha \hat{S}_{y/z} + \beta \hat{S}_x^2 + \gamma \hat{S}_y^2$$

- ▶ Eigenenergies (x) ?
- ▶ Degenerations (x) ?